

Table 2: Angular Distances for 5 Selected Angles			
latitude ( $\theta$ ) <sup>o</sup>	cos $\theta$	circumference = $2\pi R \cos\theta$	circumference/360 (km/1 <sup>o</sup> )
23.5 <sup>o</sup>	0.917	36,750	102.1
32.2 <sup>o</sup>	0.846	33,910	94.2
45 <sup>o</sup>	0.707	28,330	78.7
50 <sup>o</sup>	0.643	25,760	71.5
66.5 <sup>o</sup>	0.400	15,980	44.4

Table 3: Longitude Differences and Distances		
Factors: Tucson Lat. ~ 32.2 <sup>o</sup> N; Long. ~ 111.2 <sup>o</sup> W; km/1 <sup>o</sup> = 94.2		
location	long. difference	distance in km
Prime Meridian longitude = 0 <sup>o</sup>	111.2 <sup>o</sup>	10,475
International Date Line longitude ~ 180 <sup>o</sup>	68.8 <sup>o</sup>	6,481
Furthest away point longitude = 68.8 <sup>o</sup> E country = Afghanistan	180 <sup>o</sup>	16,956

Table 4: Speed and Estimated Day of Arrival				
Factors: Assume latitude = 50 <sup>o</sup> N; London longitude = 0 <sup>o</sup>				
day	reference clock (GMT)	difference	longitude	speed in degrees/day
0	16:00	16-12 = 4 hrs	4.0 x 15 = 60 W	-
5	15:03	3:03	3.05 x 15 = 45.75	14.25/5 = 2.85
10	13:57	1:57	1.95 x 15 = 29.25	16.5/5 = 3.3
arrival day: 10+9.5 = 19.5	12:00	0	0	average: 3.07 days left: 29.25/3.07=9.5

5. A clock that loses 4 sec/day for 40 days will lose 160 sec or more than 2 minutes. At most, the clock could only lose 3 sec/day for 40 days or 120 sec = 2 minutes.